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He Jifeng

Would you like to write to the editor of
'Theoretical Computer Science'? Send a copy
to Rick Hehner too.

I look forward to seeing an outline of
your own paper.

Tony
With Compliments

Dear Tony :

In the paper "a more complete model of
1983 with Rick Hehner
communicating processes", the definition of hiding
in the uninterruptible version does not
satisfy the condition (P1) in the definition
of process, i.e. it is inconsistent.

For example, let P be a process
defined as

$$\text{past} = \langle \rangle \wedge \text{present} = \{a!o\}$$

$$\vee \text{past} = \langle a!o \rangle \wedge \text{present} = \{b!o, c!o\}$$

$$\vee \text{past} = \langle a!o \rangle \wedge \langle b!o \rangle \wedge \text{present} = \{ \}$$

$$\vee \text{past} = \langle a!o \rangle \wedge \langle c!o \rangle \wedge \text{present} = \{ \}$$

(i.e. $P \triangleq a!o \rightarrow (b!o \rightarrow \text{stop} \mid c!o \rightarrow \text{stop})$)

from the definition of chan b in P given in that paper it follows that

$$\text{chan } b \text{ in } P: \text{ past} = \langle \rangle \wedge \text{present} = \{a!o\}$$

$$\vee \text{ past} = \langle a!o \rangle \wedge \text{present} = \{c!o\}$$

$$\vee \text{ past} = \langle a!o \rangle \wedge \text{present} = \{\}$$

hence $\langle a!o \rangle \wedge \langle c!o \rangle \notin \text{past}(P)$, but

from (P1) we should have $\langle a!o \rangle \wedge \langle c!o \rangle \in \text{past}(P)$.

Furthermore, suppose that

$$P \triangleq \mu p. b!o \rightarrow P$$

(due to W.A. Roscoe)

then we have

$$\text{chan } b \text{ in } P \triangleq \text{past} = \langle \rangle \wedge \text{present} = \{\}$$

(i.e. $\text{chan } b \text{ in } P = \text{STOP} ?$)

Moreover

$\text{chan } b \text{ in } P \text{ sat } (\exists s. P[\text{past}:s] \wedge$

$\text{past} = s \setminus b \wedge \text{present}.b = \{ \})$

$\text{chan } b \text{ in } P \text{ sat false}$

hence we conclude that the hiding theorem

can't be proved from the uninterruptible version

without using the theorem's antecedent

$\exists f. \# \text{past}.b \leq f(\text{past} \setminus b)$

Perhaps we can define $\text{chan } b \text{ in } P$ as

$\exists \rho, M. P[\text{past}: \rho; \text{present}: M] \wedge \text{past} = \rho \setminus b$
 $\wedge \text{present} = M \setminus b$

\forall

$\exists \rho \forall n \exists t, M. \# t \geq n \wedge t.b = t$

$\wedge P[\text{past}: \rho \wedge t; \text{present}: M] \wedge \rho \setminus b \leq \text{past}$

The second term in the above definition describes the basic fact that after a process engages the infinite internal communications, there will be no restriction on its behaviour past.

Now Jeff, Sanders and I are interested to work out a new model (based on R or F).

He Jifeng